

Claims

1. A method for cryptographically converting a digital input block into a digital output block; said conversion comprising the step of merging a selected part M1 of said digital input block with a first key K1 and producing a data block B1 which non-linearly depends on said selected part M1 and said first key K1, and where a selected part of said 5 digital output block is derived from said data block B1,  
characterised in that said merging step is performed by executing a non-linear function g for non-linearly merging said selected part M1 and said first key K1 in one, sequentially inseparable step.
- 10 2. A method as claimed in claim 1, wherein said method comprises the steps of:  
- splitting said digital input block into said selected part M1 and a second part M2 before executing said merging step;  
- executing a non-linear function  $g^{-1}$  to merge said second block M2 with a  
15 second key K2 in one, sequentially inseparable step, producing a data block B2 as output; said non-linear function  $g^{-1}$  being the inverse of said non-linear function g; and  
- forming combined data from data in said data block B1 and in said data block B2; said digital output block being derived from said combined data.
- 20 3. A method as claimed in claim 1, wherein said merging step comprises the steps of:  
- splitting said selected part M1 in a first plurality n of sub-blocks  $m_0, \dots, m_{n-1}$  of substantially equal length;  
- splitting said first key K1 in said first plurality n of sub-keys  $k_0, \dots, k_{n-1}$ , substantially having equal length, the sub-key  $k_i$  corresponding to the sub-block  $m_i$ , for  $i = 0$  to  $n-1$ ;  
25 and  
- separately processing each of said sub-blocks  $m_i$  by executing for each of said sub-blocks  $m_i$  a same non-linear function h for non-linearly merging a sub-block  $b_i$  derived from said sub-block  $m_i$  with said corresponding sub-key  $k_i$  in one, sequentially inseparable

- step and producing said first plurality of output sub-blocks  $h(b_i, k_i)$ ; and
- combining sub-blocks  $t_i$  derived from said first plurality of said output sub-blocks  $h(b_i, k_i)$  to form said data block B1.

5 4. A method as claimed in claim 2 and 3, wherein said step of executing said non-linear function  $g^{-1}$  comprises the steps of:

- splitting said second part M2 in said first plurality n of sub-blocks  $m_n, \dots, m_{2n-1}$ , substantially having equal length;
- splitting said key K2 in said first plurality n of sub-keys  $k_n, \dots, k_{2n-1}$ , substantially having equal length, the sub-key  $k_i$  corresponding to the sub-block  $m_i$ , for  $i = n$  to  $2n-1$ ;
- executing for each of said sub-blocks  $m_i$  a same non-linear function  $h^{-1}$  for non-linearly merging a sub-block  $b_i$  derived from said sub-block  $m_i$  with said corresponding sub-key  $k_i$  and producing said first plurality of an output sub-block  $h^{-1}(b_i, k_i)$ ; said function  $h^{-1}$  being the inverse of said function  $h$ ; and
- combining sub-blocks  $t_i$  derived from said first plurality of output sub-blocks  $h^{-1}(b_i, k_i)$  to form said data block B2.

15 5. A method as claimed in claim 3, wherein said sub-block  $b_i$  is derived  
20 from said sub-block  $m_i$  by bit-wise adding a constant  $p_i$  to said sub-block  $m_i$ , said constant  $p_i$  substantially having equal length as said sub-block  $m_i$ .

6. A method as claimed in claim 3, characterised in that said function  $h(b_i, k_i)$  is defined by:

$$\begin{aligned} 25 \quad h(b_i, k_i) &= (b_i \cdot k_i)^{-1}, & \text{if } b_i \neq 0, k_i \neq 0, \text{ and } b_i \neq k_i \\ h(b_i, k_i) &= (k_i)^{-2}, & \text{if } b_i = 0 \\ h(b_i, k_i) &= (q_i)^{-2}, & \text{if } k_i = 0 \\ h(b_i, k_i) &= 0, & \text{if } b_i = k_i, \end{aligned}$$

where the multiplication and inverse operations are predetermined Galois Field multiplication  
30 and inverse operations.

7. A method as claimed in claim 6, wherein deriving said sub-blocks  $t_i$  from said output sub-blocks  $h(b_i, k_i)$  comprises bit-wise adding a constant  $d_i$  to said output sub-block  $h(b_i, k_i)$ , said constant  $d_i$  substantially having equal length as said sub-block  $m_i$ .

8. A method as claimed in claim 7, wherein deriving said sub-blocks  $t_i$  from said output sub-blocks  $h(b_i, k_i)$  further comprises raising  $h(b_i, k_i) \oplus d_i$  to a power  $2^i$ , using said predetermined Galois Field multiplication.
- 5 9. A method as claimed in claim 6, wherein deriving said sub-blocks  $t_i$  from said output sub-blocks  $h(b_i, k_i)$  comprises raising said output sub-block  $h(b_i, k_i)$  to a power  $2^i$ , using said predetermined Galois Field (GF) multiplication.
10. 10. A method as claimed in claim 4, wherein said combined data is formed by:
- swapping the sub-blocks  $t_i$  and  $t_{2n-1-i}$ , for  $i = 0$  to  $n-1$ ; and
  - concatenating the swapped sub-blocks.
11. 11. A method as claimed in claim 6, wherein said sub-block  $m_i$  comprises eight data bits, and wherein said multiplying of two elements  $b$  and  $c$  of  $GF(2^8)$  comprises executing a series of multiplications and additions in  $GF(2^4)$ .
12. 12. A method as claimed in claim 11, wherein said multiplying of said two elements  $b$  and  $c$  comprises:
- representing  $b$  as  $a_0 + a_1.D$  and  $c$  as  $a_2 + a_3.D$ , where  $a_0, a_1, a_2$  and  $a_3$  are elements of  $GF(2^4)$ , and where  $D$  is an element of  $GF(2^8)$  defined as a root of an irreducible polynomial  $k(x) = x^2 + x + \beta$  over  $GF(2^4)$ , where  $\beta$  is an element of  $GF(2^4)$ ; and
  - calculating  $(a_0a_2 + a_1a_3\beta) + (a_1a_2 + a_0a_3 + a_1a_3).D$ .
- 25 13. A method as claimed in claim 12, wherein  $\beta$  is a root of an irreducible polynomial  $h(x) = x^4 + x^3 + x^2 + x + 1$  over  $GF(2)$ .
14. 14. A method as claimed in claim 6, wherein said sub-block  $m_i$  comprises eight data bits, and wherein calculating the inverse of an element  $b$  of  $GF(2^8)$  comprises performing a series of calculations in  $GF(2^4)$ .
- 30 15. A method as claimed in claim 14, wherein calculating the inverse of said element  $b$  comprises:
- representing  $b$  as  $a_0 + a_1.D$ , where  $a_0$  and  $a_1$  are elements of  $GF(2^4)$ , and where

- D is an element of GF(2<sup>8</sup>) defined as a root of an irreducible polynomial  $k(x) = x^2 + x + \beta$  over GF(2<sup>4</sup>), where  $\beta$  is an element of GF(2<sup>4</sup>); and
- calculating  $(a_0^2 + a_0a_1 + a_1^2\beta)^{-1}((a_0 + a_1) + a_1D)$ .

5 16. An apparatus for cryptographically converting a digital input block into a digital output block; said apparatus comprising:

first input means for obtaining said digital input block;

second input means for obtaining a first key K1;

10 cryptographic processing means for converting the digital input block into the digital output block; said conversion comprising merging a selected part M1 of said digital input block with said first key K1 and producing a data block B1 which non-linearly depends on said selected part M1 and said first key K1, and where a selected part of said digital output block is derived from said data block B1; and

output means for outputting said digital output block,

15 characterised in that said cryptographic processing means is arranged to perform said merging by executing a non-linear function g for non-linearly merging said selected part M1 and said first key K1 in one, sequentially inseparable step.

17. An apparatus as claimed in claim 16, wherein said apparatus comprises  
20 third input means for obtaining a second key K2, and wherein said conversion comprises:

- splitting said digital input block into said selected part M1 and a second part M2 before performing said merging;

- executing a non-linear function  $g^{-1}$  to merge said second block M2 with said second key K2 in one, sequentially inseparable step, producing a data block B2 as output;

25 said non-linear function  $g^{-1}$  being the inverse of said non-linear function g; and

- forming combined data from data in said data block B1 and in said data block B2; said digital output block being derived from said combined data.

18. An apparatus as claimed in claim 16, wherein said merging step comprises the steps of:

- splitting said selected part M1 in a first plurality n of sub-blocks  $m_0, \dots, m_{n-1}$  of substantially equal length;

- splitting said first key K1 in said first plurality n of sub-keys  $k_0, \dots, k_{n-1}$ , substantially having equal length, the sub-key  $k_i$  corresponding to the sub-block  $m_i$ , for  $i = 0$  to  $n-1$ ;

and

- separately processing each of said sub-blocks  $m_i$  by executing for each of said sub-blocks  $m_i$  a same non-linear function  $h$  for non-linearly merging a sub-block  $b_i$  derived from said sub-block  $m_i$  with said corresponding sub-key  $k_i$  in one, sequentially inseparable
- 5 step and producing said first plurality of output sub-blocks  $h(b_i, k_i)$ ; and
- combining sub-blocks  $t_i$  derived from said first plurality of said output sub-blocks  $h(b_i, k_i)$  to form said data block  $B_1$ .

19. An apparatus as claimed in claim 18, characterised in that said function  $h(b_i, k_i)$  is defined by:

$$\begin{aligned} h(b_i, k_i) &= (b_i \cdot k_i)^{-1}, && \text{if } b_i \neq 0, k_i \neq 0, \text{ and } b_i \neq k_i \\ h(b_i, k_i) &= (k_i)^2, && \text{if } b_i = 0 \\ h(b_i, k_i) &= (b_i)^2, && \text{if } k_i = 0 \\ h(b_i, k_i) &= 0, && \text{if } b_i = k_i, \end{aligned}$$

15 where the multiplication and inverse operations are predetermined Galois Field multiplication and inverse operations.

20. An apparatus as claimed in claim 19, wherein said sub-block  $m_i$  comprises eight data bits, and wherein said multiplying of two elements  $b$  and  $c$  of  $GF(2^8)$  comprises:

- representing  $b$  as  $a_0 + a_1 \cdot D$  and  $c$  as  $a_2 + a_3 \cdot D$ , where  $a_0, a_1, a_2$  and  $a_3$  are elements of  $GF(2^4)$ , and where  $D$  is an element of  $GF(2^8)$  defined as a root of an irreducible polynomial  $k(x) = x^2 + x + \beta$  over  $GF(2^4)$ , where  $\beta$  is an element of  $GF(2^4)$ ; and
- calculating  $(a_0a_2 + a_1a_3\beta) + (a_1a_2 + a_0a_3 + a_1a_3) \cdot D$ ;

and wherein calculating the inverse of an element  $b$  of  $GF(2^8)$  comprises calculating  $(a_0^2 +$

25  $a_0a_1 + a_1^2\beta)^{-1}(a_0 + a_1) + a_1D$ .